

A Study on the Exposures of Rag- Pickers using Induced Neutrosophic Cognitive Relational Maps

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Abstract-In this paper, using a new Fuzzy bimodal called Induced Neutrosophic Cognitive Relational Maps (INCRM) we analyse the Socio-Economic problem faced by Rag-Pickers. Based on the study, conclusions and some remedial measures are stated.

Keywords-NCM, NRM, NCRM, INCRM, fixed point, limit cycle, hidden pattern.

I. INTRODUCTION

L.A. Zadeh(1965) introduced the fuzzy model. one in the. Fuzzy model is a mathematical which deals with neural networks and fuzzy logics. Generally fuzzy model helps to deal the uncertainties which are associated with human cognitive thinking.Among many fuzzy models, in this paper we are interested inFuzzy Cognitive Maps (FCM), Fuzzy Relational Maps (FRM).Praveenprakash (2010) has introduceda bimodal called Fuzzy Cognitive Relation Maps (FCRM)bimodal. In this paper, a new bimodal called Induced NCRM is introduced to analyse the Socio-Economic problem of Rag-Pickers.

II. PRELIMINARIES

A. Definition

Let $S = S_1 \cup S_2$, where S_1 and S_2 are nonempty disjoint sets, then we call S as a biset.

B. Definition

A matrix $M = M_1 \cup M_2$ where M_1 is $n \times n$ matrix and M_2 is a $p \times s$ matrix, then M is called a bimatrix.

C. Definition

A Neutrosophic Cognitive Relation Maps (NCRM) is a directed fuzzy bigraphit has nodes which deals with concepts like policies and edges as causal relationships. In a NCRM the pair of associated nodes is called as binodes.

D. Definition

Consider the binodes, $\{C_1, C_2, \dots, C_n\}$ of the FCM and $\{D_1, \dots, D_r\}$, $\{R_1, \dots, R_s\}$ of the FRM for the NCRM bimodal. The directed fuzzy graph is drawn by using the edge biweight $e_{ij}^t = \{0, 1, -1, I\}$; $1 \leq t \leq 2$. It is defined by $e_{ij}^1 \cup e_{ks}^2$ in bimatrix where e_{ij}^1 is the weight of the edge $C_i C_j$ and e_{ks}^2 is the directed edge of $D_k R_s$. Here M is the connection bimatrix of the new NCRM bimodal.

E. Definition

The new NCRMs with edge biweight $\{1, 0, -1, I\}$ are called simple NCRMs. An NCRM which has a feedback is the representation of cycles i.e., the casual relations between the nodes is in cyclic way, and then NCRM is called a dynamical bisystem.

F. Definition

The biedges $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ take the values in fuzzy casual biinterval $[-1, 1] \cup [-1, 1]$.

i) $e_{ij} = 0$ indicates no causality between the binodes.

ii) $e_{ij} > 0$ implies that both $e_{ij}^1 > 0$ and $e_{ks}^2 > 0$; indicates increase in the binodes implies increase in the binodes.

iii) $e_{ij} < 0$ implies that both $e_{ij}^1 < 0$ and $e_{ks}^2 < 0$; similarly decrease in the binodes implies decrease in the binodes.

However unlike the FCM and FRM model we can have the following possibilities other than that of $e_{ij} = 0$, $e_{ij} > 0$ and $e_{ij} < 0$.

i) $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ can be such that $(e_{ij}^1) = 0$ and $(e_{ks}^2) > 0$. No relation.

ii) $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ also for $(e_{ij}^1) = 0$ and $(e_{ks}^2) < 0$.

iii) $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ we can have $(e_{ij}^1) \leq 0$ and $(e_{ks}^2) > 0$

iv) In $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ we can have $(e_{ij}^1) < 0$ and $(e_{ks}^2) = 0$

v) In $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ we can have $(e_{ij}^1) > 0$ and $(e_{ks}^2) = 0$

vi) In $e_{ij} = (e_{ij}^1) \cup (e_{ks}^2)$ we can have $(e_{ij}^1) > 0$ and $(e_{ks}^2) < 0$

Thus in the case of NCRM we can have 9 possibilities which is useful for solving the problem in accurate way.

a) Application of this bimodal to the problem of rag pickers

Because of the changes in packaging and lifestyles, waste has definitely increased. Over a decade there was not much plastic packaging. So the scale of waste has changed which results to the fact of land contamination. Of course in India it is in common practice of not to separating the waste. Nowadays electronic waste such as batteries, gadgets waste containing mercury, broken glasses, medicine bottles, syringe, knives and vegetable peelers are thrown in same bins. Thus unsanitary working condition leads them to serious infections and wounds.

b) Adaptation of the problem to FCRM Bimodal

The linguistic questionnaire was transformed 7 main attributes of problems faced by the rag pickers and 8 attributes as the cause of it which acts as catalyst.

The attributes are

C_1 : Left orphans due to parents/family members death.

C_2 : School dropouts/ no Money to pay school fees/ill-treatment by the teachers.

C_3 : Rag picking as a source of income and livelihood.

C_4 : Bad Company and Bad habits.

C_5 : Parents in jail.

C_6 : Quarrel at home with parents or family members.

C_7 : Poverty and unemployment’s due to parents/family member death.

D_1 : Quarrel at home / ill treatment.

D_2 : School dropout.

orphans due to parents/family members death as initializing attribute and in NRM, component of NCRM bimodal as ON state saying that Quarrel at home / ill treatment is initializing attribute. The symbol \hookrightarrow stands for thresholding and it means that, values 1 and more than 1 are replaced by 1.

Let the initial state vector be $I_1 = (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$.

The effect of I_1 on the dynamical system M is

$$I_1 M = (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_1 \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2$$

$$\hookrightarrow (0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

$$\Rightarrow (0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0) = I_1'$$

Let $I_1' = IC_1' \cup IR_1'$

From I_1' it is observed that the new bivectors are:

$$I_1^{(1)} = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

$$I_1^{(2)} = (0 \ 1 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

$$I_1^{(3)} = (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) \cup (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0)$$

$$I_1^{(4)} = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 1 \ 0 \ 0)$$

$$I_1^{(5)} = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

Now let us find the new input vector I_2 .

$$I_1^{(1)} M = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_1 \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2$$

$$\Rightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$$

Row sum is: (0, 2)

$$I_1^{(2)} M = (0 \ 1 \ 0 \ 0 \ 0 \ 0 \ 0) M_1 \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2$$

$$\hookrightarrow (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

$$\Rightarrow (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

Row sum is: (2+I, 0)

$$I_1^{(3)} M = (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) M_1 \cup (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) M_2$$

$$\hookrightarrow (1 \ 0 \ 1 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0)$$

$$\Rightarrow (1 \ 0 \ 1 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (1 \ 0 \ 1 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$$

Row sum is: (4I, 3I)

$$I_1^{(4)} M = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_1 \cup (0 \ 0 \ 0 \ 0 \ 1 \ 0 \ 0) M_2$$

$$\Rightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) M_2^T$$

$$\hookrightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$$

Row sum is: (0, 2+I)

$$I_1^{(5)} M = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1) M_1 \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2$$

$$\hookrightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

$$\Rightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$$

Row sum is: (1, 0)

Hence the new input vector I_2 is:

$$(1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$$

The effect of I_2 on M is

$$I_2 M = (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) M_1 \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0) M_2$$

$$= (1 \ 1 \ 0 \ 1 \ 0 \ 1 \ 1) \cup (2+I^2 \ 0 \ 0 \ 1 \ 0 \ 1 \ 0 \ 0)$$

$$\hookrightarrow (1 \ 1 \ 0 \ 1 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 0 \ 1 \ 0 \ 0)$$

$$\Rightarrow (1 \ 1 \ 0 \ 1 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 0 \ 1 \ 0 \ 0) M_2^T$$

$$\hookrightarrow (1 \ 1 \ 0 \ 1 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0) = I_2'$$

Let $I_2' = IC_2' \cup IR_2'$

The new bivectors are:

$$I_2^{(1)} = (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup IR_2'$$

$$I_2^{(2)} = (0 \ 1 \ 0 \ 0 \ 0 \ 0 \ 0) \cup IR_2'$$

$$I_2^{(3)} = (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) \cup IR_2'$$

$$I_2^{(4)} = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup IR_2'$$

$$I_1^{(5)} = (0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) \cup IR_2'$$

$$I_2^{(6)} = (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1) \cup IR_2'$$

The effects of $I_2^{(1)}, I_2^{(2)}, I_2^{(3)}, I_2^{(4)}, I_1^{(5)}, I_2^{(6)}$ on M we get the row sum as (3I, 2), (2+I, 0), (4I, 3I), (0, 2+I), (1, 0) and (1, 0) respectively.

Therefore the new input vector is:

$$I_3 = (1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0) = I_2$$

Therefore the limit point is

$$(1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$$

Table 2: The set of limit points corresponding to different input bivectors

No	Input Bivector	Limit Points	Induced Path
1	$(1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (1 \ 0 \ 0 \ 0 \ 0 \ 0 \ 0)$	$(1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$	$(C_1 \Rightarrow C_2 \Rightarrow C_2) \cup (C_1 \Rightarrow C_1 \Rightarrow C_1)$
2	$(0 \ 1 \ 0 \ 0 \ 0 \ 0 \ 0) \cup (0 \ 1 \ 0 \ 0 \ 0 \ 0 \ 0)$	$(0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (0 \ 0 \ 1 \ 0 \ 0 \ 1 \ 1)$	$(C_2 \Rightarrow C_1 \Rightarrow C_1) \cup (C_2 \Rightarrow C_7 \Rightarrow C_6 \Rightarrow C_6)$
3	$(0 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0) \cup (0 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0)$	$(1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (0 \ 0 \ 1 \ 0 \ 0 \ 0 \ 0)$	$(C_3 \Rightarrow C_6 \Rightarrow C_1 \Rightarrow C_2 \Rightarrow C_2) \cup (C_3 \Rightarrow C_3 \Rightarrow C_3)$
4	$(0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0) \cup (0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0)$	$(0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 0 \ 0 \ 0)$	$(C_4 \Rightarrow C_3 \Rightarrow C_1 \Rightarrow C_1) \cup (C_4 \Rightarrow C_1 \Rightarrow C_1)$
5	$(0 \ 0 \ 0 \ 0 \ 1 \ 0 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 1 \ 0 \ 0)$	$(1 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (1 \ 0 \ 0 \ 1 \ 1 \ 0 \ 0)$	$(C_5 \Rightarrow C_2 \Rightarrow C_2) \cup (C_5 \Rightarrow C_1 \Rightarrow C_1)$
6	$(0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0)$	$(0 \ 1 \ 0 \ 1 \ 0 \ 0 \ 1) \cup (0 \ 0 \ 1 \ 0 \ 0 \ 1 \ 1)$	$(C_6 \Rightarrow C_1 \Rightarrow C_2 \Rightarrow C_2) \cup (C_6 \Rightarrow C_6 \Rightarrow C_6)$
7	$(0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1) \cup (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1)$	$(0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 1) \cup (0 \ 0 \ 1 \ 0 \ 1 \ 1 \ 1)$	$(C_7 \Rightarrow C_6 \Rightarrow C_1 \Rightarrow C_2 \Rightarrow C_2) \cup (C_7 \Rightarrow C_6 \Rightarrow C_6)$

III. CONCLUSION

We analyzed the problems of rag pickers using the induced NCRM bimodal. For different inputs, by merging we get a combined graph which is shown in Figure given below. We observe that the nodes C_1 and C_2 are reachable from all the nodes and there are many paths through the node C_6 and C_1 respectively. Similarly, the nodes D_1 and D_6 have more paths. This reveals that C_1 and C_2 are the main cause and C_6 is the second prime cause for the mentioned problem. That is, Left orphans due to parents/family members death (C_1); School dropouts (C_2); Quarrel at home with parents or family members (C_6). Likewise no hygiene/ no knowledge about the hazardous waste (D_6); Problem given by Police (R_5); Malaria / typhoid (R_6); Scabies / hepatics / skin ailment due to rag picking (R_7); Government and public have taken no steps to manage waste (R_8). These are related to the reasons and for such cases they enter to the profession of Rag picking.

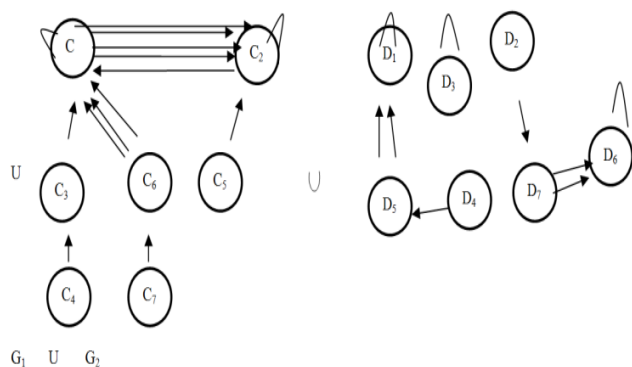


Figure:1

IV. REMEDIAL MEASURES

Steps must be taken to retain children in schools. Public must be provided with civic sense not to dump hazardous waste were rag pickers do the rag picking. As individuals, we have to control our wastes also it is advisable to use color bins for biodegradable and recyclable wastes. Government/ NGO's should provide proper masks and gloves. Also, it is adequate to invest in new waste disposing technologies so that this issue can deal effectively. Government should take strong step both to prevent the rag pickers around the hospital zone and also the hospital authorities not to dump the dangerous and hazardous wastes which are reachable by the rag picker.

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