

A Study on Stress Experienced by Students and Teachers in Professional Courses Using Induced Linked Fuzzy Relational Mapping (ILFRM) Analysis

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Abstract- The students belonging to professional courses are subjected to stress due to personal, environmental and institutional factors. In this education system students became a knowledge box and they fail to value their education. On the other end, the teaching has also become a demanding occupation with undue stress like deadlines to meet, responsibilities to shoulder besides teaching their specialized courses. The paper aims to study the stress levels of both the students and the teachers in professional education using Induced Linked Fuzzy Relational Mapping (ILFRM).

Keywords: Students and teachers stress, Fuzzy cognitive maps, Induced Fuzzy, Hidden pattern.

I. INTRODUCTION

There are 570 engineering colleges in Tamil Nadu as on dec2011, out of which 511 colleges are self-financing colleges. Professional educations have to be the activities of teaching knowledge and professional principles of engineering. Here in this paper, we analyse the stress of both the students and the teachers of engineering colleges using Induced Fuzzy Relational Maps.

Second section deals with the basics that are related to this study. The description and the method of finding the hidden pattern in ILFRM is given in section three and the section four gives the analysis using ILFRM model. In the fifth section we draw the conclusion and some of the remedial measures are given.

II. BASIC DEFINITIONS

We proceed to state the definitions of Linked FRM and the corresponding Induced Fuzzy Relational Maps. In FRMs we divide the very causal associations into two disjoint units, like for example the relation between the teachers(Domain space) and the management(Range space) in the case of stress in professional courses .We denote by D , the nodes D_1, \dots, D_n of the domain space where D_i

$$= \{(x_1, \dots, x_n) / x_j = 0 \text{ or } 1\} \text{ for } i = 1, \dots, n.$$

Similarly R , the set of nodes R_1, \dots, R_m of the range space, where $R_i = \{(x_1, x_2, \dots, x_m) / x_j = 0 \text{ or } 1\}$ for $i = 1, \dots, m$. When $x_i = 1$ or 0 then the node R_i is in the ON state or OFF state respectively.

Definition 2.1

The FRM is a directed graph or a map from D to R with concepts like policies or events etc. as nodes and causalities as edges. It represents causal relations between spaces D and R .

Let D_i and R_j denote the two nodes of an FRM. The directed edge from D to R denotes the causality of D on R , called relations. Every edge in the FRM is weighted with a number in the set $\{0, 1\}$. Let e_{ij} be the weight of the edge $D_i R_j, e_{ij} \in \{0, 1\}$. The weight of the edge $D_i R_j$ is positive if increase in D_i implies increase in R_j or decrease in D_i implies decrease in R_j . That is, causality of D_i on R_j is 1. If $e_{ij} = 0$ then D_i does not have any effect on R_j . We do not discuss the cases when increase in D_i implies decrease in R_j or decrease in D_i implies increase in R_j .

Relational matrix of the FRM: Let D_1, \dots, D_n be the nodes of the domain space D of an FRM and R_1, \dots, R_m be the nodes of the range space R of an FRM. Let the matrix E be defined as: $E = (e_{ij})$ where e_{ij} is the weight of the directed edge $D_i R_j$ (or $R_j D_i$), E is called the relational matrix of the FRM.

Hidden Pattern: Consider $D_i R_j$ (or $R_j D_i$), $1 < j < m, 1 < i < n$. When R_j (or D_i) is switched on and if causality flows through the edges of the cycle and if it again causes R_i (or D_j), we say that the dynamical system goes round and round. This is true for any node R_i (or D_j) for $1 < i < m$, (or $1 < j < n$). The equilibrium state of this dynamical system is called the hidden pattern.

Fixed point: If the equilibrium state of the dynamical system is a unique state vector, then it is called a fixed point. Consider an FRM with R_1, \dots, R_m and D_1, \dots, D_n as nodes. For example let us start the dynamical system by switching on R_1 or D_1 . Let us assume that the FRM settles down with R_1 and R_m (or D_1 and D_n) on i.e. the state vector remains as $(10 \dots 01)$ in R [or $(10 \dots 01)$ in D], this state vector is called the fixed point.

Limit cycle: If the FRM settles down with a state vector repeating in the form $A_1 \rightarrow A_2 \rightarrow \dots \rightarrow A_i \rightarrow A_1$ (or $B_1 \rightarrow B_2 \rightarrow \dots \rightarrow B_i \rightarrow B_1$) then this equilibrium is called a limit cycle.

Definition 2.2

Linked FRM (LFRM) Two FRMs represented by a relational matrix, say E_1 or order $m \times n$ and E_2 of order $n \times t$ can be linked to form a new relational matrix E of order $m \times t$. There may not be a direct relationship between the domain space of relational matrix E_1 and the range space of E_2 but certainly we could find out the hidden pattern in the Linked FRMs.

III. METHODS OF FINDING THE HIDDEN PATTERNS

Let R_1, \dots, R_m and D_1, \dots, D_n be the nodes of a FRM with feed back. Let M be the relational matrix. Let us find a hidden pattern when D_1 is switched on. We pass the state vector C_1 through the Connection matrix M . A particular attribute, say, D_1 is kept in ON state and all other components are kept in OFF state. Let C_1 yields, C_1 . To convert to signal function, choose the first two highest values to ON state and other values to OFF state with 1 and 0 respectively. We make each component of C_1 vector pass through M repeatedly for each positive entry 1 and we use the symbol (\approx). Then choose that vector which contains the maximum number of 1's. That which causes maximum attributes to ON state and call it, say, C_2 . Supposing that there are two vectors with maximum number of 1's are in ON state, we choose the first vector. Repeat the same procedure for C_2 until we get a fixed point or a limit cycle. We do this process to give due importance to each vector separately as one vector induces another or many more vectors into ON state. We get the hidden pattern either from the limit cycle or from the fixed point. We observe a pattern that leads one cause to another and may end up in one vector or a cycle.

Next we choose the vector by keeping the second component in ON state and repeat the same to get another cycle and it is done for all the vectors separately. We observe the hidden pattern of some vectors found in all or in many cases. Inference from this hidden pattern summarizes or highlights the causes.

IV. ANALYSIS USING INDUCED LFRM MODEL

We take the following attributes in the case of Management of college authorities:

- C_1 – Management is not spending any money for the well fare of students and teachers
- C_2 – More donations has been collected from the students and the poor students is highly stressed due to this.
- C_3 – The education now became a business for them.
- C_4 – The management is selfish on their own needs
- C_5 – In order to make money management gave admission to many students
- C_6 – Untrained, just engineering graduates are employed as Teachers.
- C_7 – Most of the persons who start the college are persons with least knowledge on engineering education.
- C_8 – With weak students, the management blame the teachers for the poor result *We take the following attributes in the case of the Teachers:*

- T_1 – The work load is very high, i.e, the strength of the class is very high and many classes is given to a single teacher.
- T_2 – Insufficient facilities to the staffs, the salary is very low for them.
- T_3 – Because of the salary the number of teachers to handle the core paper is less in number.
- T_4 – Stress due to absentees, because the teacher has to repeat everything.
- T_5 – Lots of pressure is given to the teacher both from the management and from the senior teachers for completing the portion within a very short period of time.
- T_6 – Because of the larger strength the teacher has to shout all the time.

T_7 – Apart from completing the portions the teacher has to maintain the class.

An expert, a lady teacher presents the following relation between the domain (College Management) and the range (Teachers) attributes and we present it as a relational matrix called as

$$CT = \begin{matrix} & T_1 & T_2 & T_3 & T_4 & T_5 & T_6 & T_7 \\ \begin{matrix} C_1 \\ C_2 \\ C_3 \\ C_4 \\ C_5 \\ C_6 \\ C_7 \\ C_8 \end{matrix} & \begin{bmatrix} 0 & 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1 \\ 1 & 0 & 0 & 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 1 & 0 & 0 & 0 \end{bmatrix} \end{matrix}$$

We take the following attributes in the case of the Students:

- S_1 – No proper guidance is given to the students. The students are forced to study what is there in the books.
- S_2 – The knowledgeable teacher in the core subject is very less.
- S_3 – Lots of assignments, tests and homework is given to the students so that they cannot enjoy the feast and holidays.
- S_4 – The parents are uneducated and the students have no way to clear the doubts.
- S_5 – Media attraction

Another expert, a student of engineering college gives the following relation between the domain (Teachers) and range (Students) attributes and we represent it as a relational matrix called as

$$TS = \begin{matrix} & S_1 & S_2 & S_3 & S_4 & S_5 \\ \begin{matrix} T_1 \\ T_2 \\ T_3 \\ T_4 \\ T_5 \\ T_6 \\ T_7 \end{matrix} & \begin{bmatrix} 1 & 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 1 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \end{bmatrix} \end{matrix}$$

In Linked FRM, the relation between the College Managements and the Students attributes are combined and the resultant connected matrix is given below

$$CT \circ TS = \begin{matrix} & S_1 & S_2 & S_3 & S_4 & S_5 \\ \begin{matrix} C_1 \\ C_2 \\ C_3 \\ C_4 \\ C_5 \\ C_6 \\ C_7 \\ C_8 \end{matrix} & \begin{bmatrix} 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 1 & 0 \\ 0 & 0 & 1 & 0 & 1 \\ 1 & 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 & 0 \end{bmatrix} \end{matrix}$$

Steps:

Let $C_1 = (1\ 0\ 0\ 0\ 0\ 0\ 0\ 0)$

$(1\ 0\ 0\ 0\ 0\ 0\ 0\ 0)M = (1\ 1\ 0\ 0\ 0)$

Now, $(1\ 1\ 0\ 0\ 0)M^T = (2\ 2\ 0\ 0\ 1\ 0\ 1\ 1)$

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$$\begin{aligned} &\approx(11001011) \\ (01000000)M &= (11010) \\ \text{Now, } (11010)M^T &= (22112021) \\ &\approx(11111011) \\ (00100000)M &= (00011) \\ \text{Now, } (010011)M^T &= (02211010) \\ &\approx(01111010) \\ (00010000)M &= (00010) \\ \text{Now, } (00010)M^T &= (01111010) \\ &\approx(01111010) \\ (00001000)M &= (10010) \\ \text{Now, } (10010)M^T &= (12112021) \\ &\approx(11111011) \\ (00000100)M &= (00100) \\ \text{Now, } (00100)M^T &= (00000101) \\ &\approx(00000101) \\ (00000010)M &= (10010) \\ \text{Now, } (10010)M^T &= (12112021) \\ &\approx(11111011) \\ (00000001)M &= (10100) \\ \text{Now, } (10100)M^T &= (11001112) \\ &\approx(11001111) \\ \text{Let } C_2 &= (11111011) \\ (11111011)M &= (52151) \\ &= (11111) \\ (11111)M^T &= (22212122) \\ &\approx(11111111). \end{aligned}$$

Therefore, the limit point corresponding to $C_2 (11111011)$, (11010) high lights the attributes $C_1, C_2, C_3, C_4, C_5, C_7, C_8$. and S_1, S_2, S_4 which creates more stress among students and teachers.

V. CONCLUSION

Most of the engineering students who joined with lots dreams were disappointed a lot. The managements should look after the needs of both the students and teachers and they must fullfil their needs. We suggest some of the remedial measures for controlling the stress in students and teachers. Encourage each students to gain knowledge from outside the booksManagement has to think of students future and give more importance to improve students standardsEncourage major departments to develop advising guidelines and provide training for teaching faculties.The Teacher Students ratio must be maintained.

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